Baseflow Age Distributions and Depth of Active Groundwater Flow in a Snow-Dominated Mountain Headwater Basin

Rosemary W.H. Carroll¹, Andrew H. Manning², Richard Gray Niswonger³, David W. Marchetti⁴, and Kenneth Hurst Williams⁵

¹Desert Research Institute
²United States Geological Survey
³U. S. Geological Survey
⁴Western State Colorado University
⁵Lawrence Berkeley National Laboratory (DOE)

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Abstract

Deeper flows through bedrock in mountain watersheds could be important but lack of data to characterize bedrock properties and link flow paths to snow-dynamics limits understanding. To address data scarcity, we combine a previously published integrated hydrologic model of a snow-dominated, headwater basin with a new method for dating baseflow age using dissolved gas tracers SF, N, Ar. The original flow model produces shallow groundwater flow (median depth 6 m), very young stream water and is unable to reproduce observed SF concentrations. To match the observed gas data, bedrock permeability is increased to allow a larger fraction of deeper groundwater flow (median depth 110 m). Results indicate that interannual variability in baseflow age (3-12 y) is dictated by the volume of seasonal interflow. Deeper groundwater flow remains stable (11.7±0.7 y) as a function of the ratio of recharge to bedrock hydraulic conductivity (R/K), where recharge is dictated by long-term climate and land use. With sensitivity experiments, we show that information gleaned from gas tracer data to increase bedrock hydraulic conductivity effectively moves this alpine basin away from shallow, topographically controlled groundwater flow with baseflow age relatively insensitive to water inputs (high R/K), and closer toward recharge-controlled conditions, in which a small shift toward a drier future with less snow accumulation will alter the groundwater flow system and increase baseflow age (low R/K). Work stresses the need to explore alternative methods characterizing bedrock properties in mountain basins to better quantify deeper groundwater flow and predict their hydrologic response to change.

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¹Desert Research Institute, Reno, NV 89512, USA; ²United States Geological Survey, Denver, CO; ³United States Geological Survey, Menlo Park, CA; ⁴Western Colorado University, Gunnison, CO; ⁵Lawrence Berkeley National Laboratory, Berkeley, CA, USA; ⁶Rocky Mountain Biological Laboratory, Gothic, CO 81224, USA

Correspondence to: Rosemary W.H. Carroll (Rosemary.Carroll@dri.edu), Division of Hydrologic Sciences, Desert Research Institute, 2215 Raggio Parkway, Reno, NV 89512

Key Points:

- Gas tracer data in baseflow indicates deeper flow through bedrock is an important source to mountain streams.
- Historic variability in baseflow age (3-12 y) is from interflow with groundwater contributions stable (11.8±0.7 y).
- Precipitation defines groundwater age sensitivity, with flow paths getting deeper and older in a slightly drier future.
Abstract. Deeper flows through bedrock in mountain watersheds could be important but lack of data to characterize bedrock properties and link flow paths to snow-dynamics limits understanding. To address data scarcity, we combine a previously published integrated hydrologic model of a snow-dominated, headwater basin with a new method for dating baseflow age using dissolved gas tracers SF₆, N₂, Ar. The original flow model produces shallow groundwater flow (median depth 6 m), very young stream water and is unable to reproduce observed SF₆ concentrations. To match the observed gas data, bedrock permeability is increased to allow a larger fraction of deeper groundwater flow (median depth 110 m). Results indicate that interannual variability in baseflow age (3-12 y) is dictated by the volume of seasonal interflow. Deeper groundwater flow remains stable (11.7±0.7 y) as a function of the ratio of recharge to bedrock hydraulic conductivity (R/K), where recharge is dictated by long-term climate and land use. With sensitivity experiments, we show that information gleaned from gas tracer data to increase bedrock hydraulic conductivity effectively moves this alpine basin away from shallow, topographically controlled groundwater flow with baseflow age relatively insensitive to water inputs (high R/K), and closer toward recharge-controlled conditions, in which a small shift toward a drier future with less snow accumulation will alter the groundwater flow system and increase baseflow age (low R/K). Work stresses the need to explore alternative methods characterizing bedrock properties in mountain basins to better quantify deeper groundwater flow and predict their hydrologic response to change.

Plain Language Summary. Snow in mountain systems is an important water source but little is understood how snow processes dictate groundwater flow paths, the age of water and its sensitivity to climatic or land use change. We use a recently developed stream water gas-tracer experiment in a steep mountain stream in a Colorado River headwater basin. A hydrologic model cannot match gas tracer data if groundwater flow is shallow, moving through the unconsolidated material near land surface, because groundwater moves too quickly. Instead, groundwater must follow deeper flow paths through the fractured granitic bedrock. A sensitivity analysis shows this snow-dominated headwater basin is functioning near a precipitation threshold. With wetter conditions, little change occurs to groundwater flow paths and stream ages are insensitive to changes in climate or forest removal. With small decreases in snowpack accumulation,
groundwater flow paths become increasingly deeper and older. Collecting stream water gas data helped to identify groundwater sensitivity in this basin and to better understand its vulnerability to change.

Keywords: stream water age, mountains; gas tracers; baseflow; hydrologic model; particle tracking

1 Introduction

Baseflow represents stream water derived from both shallow and deep subsurface flow paths that sustain stream discharge late in the season after precipitation or snowmelt events cease. Baseflow is recognized as an important source to stream water in mountainous watersheds (Gabrielli et al., 2012; Rumsey et al., 2015; Hale and McDonnell, 2016; Miller et al., 2016) and reflects the integrated effects of surface processes controlling soil moisture and interflow, groundwater recharge, the subsurface distribution of hydraulic conductivity, and the relative importance of groundwater circulating to different depths. Interflow, or shallow flow through the soil zone is typically ephemeral through either strong permeability contrasts or a seasonally rising water table. Interflow reaching a stream network does so on the order of days to weeks. Likewise, the release of bank storage during hydrograph recession moves water from the shallow subsurface into the stream relatively quickly. In contrast, saturated groundwater moving through alluvial and bedrock units can have a wide range of flow paths and travel times reflective of lithology, fracture networks and geologic structure (Heidbüchel et al., 2012). The time water spends in the subsurface interacting with host material directly influences biogeochemical processes that control mineral weathering (Winnick et al., 2017), carbon dynamics (Brooks et al., 2015; Perdrial et al., 2018), and the biologic integrity of the river network (Meyer et al., 2007; Missik et al., 2019). Subsurface residence time also indicates the degree of catchment memory of past inputs to reflect hydrologic sensitivity to land use and climate change (McGuire et al., 2005), and potential persistence of contamination (Mahlknecht et al., 2017).

There is a growing recognition that deeper parts of bedrock aquifers in mountain watersheds could be an important component of the watershed hydrologic system, transmitting and storing a larger amount of water and having a larger influence on stream biogeochemical
processes than previously appreciated. Extending the depth of hydrologically active groundwater
flow below the soil and saprolite zone to include groundwater movement through deeper,
unweathered bedrock are being discussed by (Condon et al., 2020), as are exploring the controls
on deeper groundwater flow paths (Markovich et al., 2019). However, the manner in which
climate, topography, vegetation, and geology in mountain watersheds affect subsurface flow and
resultant stream water age distributions remain poorly understood due to a lack of data
characterizing watershed-scale heterogeneity of snow distribution and melt dynamics (Deems et
al., 2006; Harpold et al., 2012), soil water and losses to evapotranspiration (Wang and
Dickinson, 2012; Allen et al., 2013), subsurface hydraulic properties (Meixner et al., 2016), and
active circulation depths (Frisbee et al., 2016).

Lumped parameter approaches have been applied to numerous catchments lacking
detailed hydrologic characterization (McGuire and McDonnell, 2006). The age of streamflow (or
catchment transit time) is estimated by the convolution of time-varying inputs of an
environmental tracer (e.g., $^3$H, $^2$H, $\delta^{18}$O, Cl) applied uniformly across a watershed and lagged
through the subsurface by assuming a travel time distribution (e.g. piston-flow, exponential,
gamma, Weibull, dispersion) that is adjusted to match observed tracer concentrations in
streamflow. Recently, lumped-parameter approaches have been developed that include time
variance in travel time distributions to address seasonal changes in flow pathways and
mobilization of stored water of varying age (Botter et al., 2011; van der Velde et al., 2012;
Harman, 2015). These analytical solutions have been applied to a variety of scenarios, including
the influence of snow processes on streamflow (Fang et al., 2019) and selective vegetation
uptake (Smith et al., 2018). In contrast to these low-order modeling strategies, numerical
mechanistic models and particle tracking can include complex boundary conditions and directly
represent physical and hydrological characteristics dictating catchment flow pathways that
determine the travel time distribution (Engdahl et al., 2016; Maxwell et al., 2016; Danesh-Yazdi
et al., 2018). These models provide a powerful platform to study basin sensitivity to changing
climate and other conditions, but their application in steep, mountainous basins is still limited by
data scarcity; with bedrock hydrologic data on permeability, porosity and flow rates extremely
rare, and complicated by the difficulty in characterizing fractured bedrock (Cesano et al., 2003)
that are typically dominant in mountain basins. Lack of subsurface data in mountain systems
makes quantifying groundwater flow at depth and its relative importance in mountain hydrology
highly uncertain. This knowledge gap remains a major impediment to properly incorporating the
deep subsurface flow system into our hydrologic models and assessing its relative importance
to limit our ability to predict how surface water quantity and quality might change under
changing climate or land conditions.

To address data scarcity inherent to mountain systems, we apply a method for dating
baseflow presented by Sanford et al. (2015) in which stream water $\text{N}_2$, $\text{Ar}$, $\text{SF}_6$ and CFC-113
observations are collected over a 12-hour period. The method’s effectiveness has been
demonstrated in low-to-moderate-gradient streams, but has not been applied in high-gradient
alpine systems where it could be hampered by higher gas exchange velocities (Solomon et al.
1998, Gleeson et al., 2018). We combine these gas tracer data with a previously published
hydrologic model of a snow-dominated, alpine headwater basin of the Colorado River (Carroll et
al., 2019). While simulated hydrology matches observed stream discharge, no directly observed
water table elevations or site-specific hydraulic properties of bedrock are available to constrain
where and to what depth hydrologically active groundwater flows. Our combined gas tracer and
numerical modeling approach builds on previous work (Kolbe et al., 2016; Ameli et al., 2018)
by increasing scale of analysis and adding snow dynamics in space and time to explore the (i)
relative importance of shallow versus deeper groundwater flow contributions to stream water in a
mountainous watershed as a function of baseflow age, (ii) principal controls on groundwater
flow pathways, and (iii) sensitivity of groundwater flow pathways to climate and land use.

2 Site Description

The upper East River is a seasonally snow covered, mountainous watershed in the
headwaters of the Upper Colorado River (Figure 1) located near Crested Butte, Colorado. A
comprehensive overview of the site is provided by others (Carroll et al., 2018; Hubbard et al.,
2018). In brief, climate is continental subarctic and stream discharge is dominated by snowmelt
with peak flows occurring in early June and receding through the summer and fall. Monsoon
rains occur in the summer months and can cause small transient increases in stream flow. The
watershed is approximately 85 km$^2$, and contains pristine alpine, subalpine, montane and riparian
ecosystems. This study is focused on Copper Creek (24 km$^2$), the largest tributary of the upper
East River. Land cover is predominantly barren alpine (50%) and conifer forests (36%) with
smaller representations of meadows, shrubs, and aspen. Elevations range from 2880 m to 4128 m. The upper portion of the watershed and adjacent peaks are underlain by Tertiary granodiorite. This younger, intrusive rock has upturned Paleozoic and Mesozoic sedimentary strata into steeply dipping hydrostratigraphic units that underlay the lower portion of Copper Creek (Figure 1b). Talus, rock glaciers and alluvial fans dominate surficial deposits within Copper Creek’s glacially sculpted valleys (Gaskill et al., 1991). Descriptions of individual geologic units are provided in Table 1.

Hydrologic modeling of Copper Creek (Carroll et al., 2019) estimates average annual precipitation in Copper Creek is 1.39±0.27 m/y of which 69±9% is snow. Annually, the basin is energy limited (potential ET < precipitation) with average ET losses equal to 36% of annual precipitation. The bulk of ET is lost from the soil zone (67% ET) and lesser amounts are lost from sublimation (13% ET), canopy evaporation (9% ET) and groundwater ET (11% ET). On average, stream water is 65% interflow and 35% groundwater, with interflow contributions declining non-linearly with increased aridity due to increased proportional losses to ET. Groundwater volumetric contributions to streamflow remain relatively stable across the historic period, with the model estimating more than 60% of groundwater moving through the alluvium overlaying less permeable bedrock.

3. Methods

3.1 Atmospheric Gas Tracers

3.1.1. Sample Collection and Analysis

Stream water dissolved gas sample were collected following the general approach of Sanford et al. (2015) in which samples are collected hourly for two relatively inert atmospheric gases (N₂ and Ar) and two gas age-tracers (SF₆ and CFC-113) over a 12 h period. The stream sampling site, CC03 (Figure 1), was chosen because it is located low the watershed, allowing an integrated baseflow age estimate representing most of the watershed, but is above a steep canyon containing large waterfalls. The stream section immediately upstream of the site was free of deep pools and zones of anomalously high turbulence. The location is 2 km above the confluence of Copper Creek to the East River and resides just below the geologic interface between the upper basin bedrock containing granodiorite and the lower basin containing sedimentary strata of
higher permeability. The experiment was conducted on August 27, 2017, which is late enough in the year to avoid monsoon rains and possible surface runoff contributions to the stream, yet early enough to still have large diurnal stream temperature fluctuations characteristic of summer months. Stream water temperature was measured every 5 minutes (Solinst Level Logger Edge M3001 LT F6/M2) beginning the day before and extending through the gas sampling period. Local barometric pressure was obtained from a Rocky Mountain Biological Laboratory weather station located 1.9 km from CC03 (Figure 1) and adjusted for the elevational difference of 70 m. Water samples for N₂, Ar, SF₆, and CFCs were collected in duplicate every hour from 8:30 am to 8:30 pm (Supporting Information, Tables S1 and S2), to capture minimum and maximum diurnal stream fluctuation. Samples were collected using a peristaltic pump and polyethylene tubing placed several centimetres off the stream bed. Sample containers were filled using techniques described at the United States Geological Survey’s Reston Groundwater Dating Laboratory (USGS Dating Lab) website (USGS, 2017), stored on ice, and shipped the next day to the USGS Dating Lab for analysis. Samples for CFCs and SF₆ were analysed using purge and trap gas chromatography with an electron capture detector (GC-ECD) (Busenberg & Plummer 1992, 2002), while samples for N₂ and Ar were analysed using gas chromatography with a thermal conductivity detector (GC-TCD, USGS 2017). Measurement errors based on the sample duplicates are 1.7% for N₂, 1.4% for Ar, and 1% for SF₆ and CFC-113, these being consistent with lab-reported errors (USGS, 2017).

Dissolved SF₆ concentrations were measured in three perennial springs located in the vicinity of CC03 to provide independent groundwater age information (Figure 1). Samples were collected in July and October 2017. Argon and N₂ were also measured in two of these springs. Spring CCS is located higher in the Copper Creek watershed 1.7 km from CC03, and springs RCS and RGS are located within adjacent tributaries of the East River 5.4 km and 6.7 km from CC03, respectively. All three springs are at elevations between 3200 to 3500 m. Dissolved gases were collected using a peristaltic pump with the intake attached to a PushPoint pore water sampler (PPX36, https://www.mheproducts.com/) inserted into the shallow sediment at the bottom of each spring pool. Sample collection followed the same protocols indicated above (USGS 2017) and all samples were analysed by the USGS Dating Lab.

3.1.2. Tracer Data Interpretation
In the technique developed by Sanford et al. (2015), measured stream dissolved gas concentrations are used with stream temperature and local atmospheric pressure measurements to simultaneously solve for the rates of gas and water exchange into and out of the stream, as well as the concentration of the gases in groundwater discharging into the stream. A control volume approach accounts for all inputs and outputs of water and gas along the length of the stream and assumes gases are non-reactive. The change in gas concentration in the stream ($C_s$ [M/L]) with time [t] is described by the following mass balance equation (equation 11 in Sanford et al. 2015):

$$\frac{dc_s}{dt} = \frac{1}{\tau_w} (C_{gw} - C_s) - \frac{1}{\tau_g} (C_s - C_e),$$  

(1)

where $C_{gw}$ [M/L] is the gas concentration in groundwater discharging into the stream; $C_e$, [M/L] is the atmospheric equilibrium gas concentration; $\tau_w$ [t] is the water residence time in the stream, equal to the stream depth divided by the rate of upward groundwater seepage through the streambed; and $\tau_g$ [t] is the gas residence time in the stream, equal to the stream water depth divided by the gas-transfer velocity ($v_g$ [L/t]). The gas-transfer velocity governs the rate of gas exchange between the stream and the atmosphere. Stream concentrations will be an intermediate value between $C_{gw}$ and $C_e$; if $\tau_w \ll \tau_g$ then $C_s$ approaches $C_{gw}$ and if $\tau_w \gg \tau_g$ then $C_s$ approaches $C_e$ and it is difficult to discern $C_{gw}$.

The equilibrium gas concentration fluctuates due to diurnal stream temperature oscillations, and can be computed using Henry’s Law with the form:

$$C_e = P_a e^{a+b(\frac{100}{T})+c ln(\frac{T}{100})+d(\frac{T}{100})},$$  

(2)

where: $P_a$ is the dry atmospheric pressure [atm]; T is the stream temperature [Kelvin]; and $a$, $b$, $c$ and $d$ are gas-specific coefficients. The method takes advantage of the oscillatory variation of $C_e$ with time to simultaneously solve for $C_{gw}$, $\tau_w$, and $\tau_g$ for each gas using an explicit finite difference representation of equation (1). Because $\tau_g$ is one of the computed parameters, a key advantage of this method, over many other techniques using dissolved gas tracers in streams to characterize groundwater inputs, is that it does not require an independent determination of $v_g$. The purpose of measuring concentrations of $N_2$ and Ar in addition to the age tracer gases is that
they can estimate the recharge temperature ($T_r$) and excess air concentration ($A_e$, [M/L$^3$]) for groundwater. The recharge temperature is the temperature at the water table at the recharge location, and $A_e$ is an excess component of air dissolved in groundwater due to the dissolution of air bubbles trapped when the water table rises during recharge events (Stute and Schlosser, 2000). The unfractionated-air model of excess air formation (Aeschbach-Hertig et al., 2000) is assumed in this study. When $T_r$ and $A_e$ are known, estimated values of $C_{gw}$ for SF$_6$ and CFC-113 are used to calculate their atmospheric concentrations at the time of recharge, which in turn provides a mean age for baseflow through use of an assumed form of a travel time distribution (Busenberg and Plummer, 2002). Sanford et al. (2015) assumes a Weibull distribution in which the cumulative distribution function (F) over time is defined as,

$$F(t) = 1 - e^{-(kt)^n},$$

(3)

in which the scale parameter ($k$) and shape parameter ($n$) are adjusted to match the computed atmospheric concentration to the historical record (USGS 2017). The Weibull distribution is equivalent to the exponential mixing model when $n = 1$.

Values of $C_{gw}$ for each gas are estimated using a modified version of the Excel spreadsheet calculator developed by Sanford et al. (2015), which minimizes the misfit between measured and modeled values of $C_s$ employing the automated General Reduced Gradient solver tool (provided as supporting documentation). Modifications include a reduced time step from 0.25 h to 0.1 h and expressing the misfit between measured and modeled values with the sum chi-squared ($\chi^2$), rather than the sum squared error, to assess statistical significance of predicted water column concentrations. The sum $\chi^2$ is the square of the difference in measured and modeled values divided by the square of the measurement error. Following Sanford et al. (2015), up to nine parameters can be adjusted to match stream gas concentrations: $T_r$, $A_e$, groundwater excess N$_2$ (potentially present from denitrification), $\tau_w$, a single gas residence time for N$_2$ and Ar, gas residence times for SF$_6$ and CFC-113, and $C_{gw}$ values for SF$_6$ and CFC-113.

For springs CCS and RCS, $T_r$ and $A_e$ values were derived from measured N$_2$ and Ar concentrations and used to compute a piston-flow groundwater age (assumes a uniform age for all sampled water) from the measured SF$_6$ concentration using standard methods (USGS 2017). The recharge elevation was assumed to be the approximate mean elevation of the portion of the
watershed directly upslope of the sampled spring. For spring RGS, Ar and N\textsubscript{2} were not collected
and the mean T\textsubscript{r} and A\textsubscript{e} from the other two springs was used in the calculation of the piston-flow
age.

### 3.2 Integrated Hydrologic Model

Carroll et al., (2019) simulated energy and water budget components in Copper Creek using the USGS Groundwater and Surface water Flow model (GSFLOW, Markstrom et al., 2008). GSFLOW dynamically couples the USGS Precipitation-Runoff Modeling System (PRMS, Markstrom et al., 2015) and the Newton formulation of the USGS 3D Modular Groundwater Flow model (Harbaugh, 2005; Niswonger et al., 2011). The model describes daily surface and groundwater interactions related to evapotranspiration (ET) including soil evaporation and plant transpiration, canopy interception, snow sublimation and groundwater ET. The hydrologic model also estimates interflow, groundwater recharge, change in groundwater storage, as well as groundwater-surface water exchanges derived from differential gradients between groundwater and stream water elevations (Huntington and Niswonger, 2012), and deeper groundwater flow based on lithology and geologic structure.

The finite difference grid resolution is 100-m with elevations resampled from the USGS National Elevation Dataset. Landfire (2015) was used to derive parameters of dominant cover type (Figure S5b), summer and winter cover density, canopy interception characteristics for snow and rain, and transmission coefficients for shortwave solar radiation. Climate for water years (October 1-September 30) 1987 to 2018 were simulated using two proximal Snow Telemetry (SNOTEL) stations (Figure 1) and LiDAR derived snow water equivalent from the Airborne Snow Observatory (Painter et al., 2016) (Figure S5a). The largest snow accumulation occurs in high elevation cirques, upper subalpine and north-eastern aspects of the basin. LiDAR snow observations implicitly account for snow redistribution by wind and avalanche and provide confidence on the location and timing of water inputs to the basin. Maximum soil water storage is conceptualized as a field capacity threshold above which water is partitioned to either lateral interflow or allowed to percolate downward via gravity drainage into the unsaturated zone (recharge). The spatial distribution of soil storage is the product of rooting depth obtained from Landfire (2015) and available water content as a function of soil type (NRCS, 1991). The Copper Creek geologic model (Figure S5c) contains nine hydrostratigraphic units with 12 layers ranging
in thickness from 8 to 120 m for a total thickness of 400 m. Transient water table gradients (e.g. Oct 1, 2016 provided in Figure S5d) dictate alluvial and bedrock water sources to the stream. Water table elevations are shallow and steep in the low permeable granodiorite in the upper portions of the watershed. Fracture networks are not simulated. Instead, we use effective hydraulic conductivity that decreases with depth, with surface hydraulic conductivity optimized to match average observed baseflow at the stream gauge located at the terminus of the basin.

### 3.2.1 Simulated Baseflow Age Distribution

Baseflow is simulated as the sum of (i) saturated groundwater flow through alluvial and bedrock units, and (ii) seasonal, shallow interflow. These two components are handled separately and combined into a single baseflow age distribution representative of late summer stream water. First, the age of saturated groundwater flow paths are estimated using a particle tracking algorithm in which particles are draped on the water table surface and allowed to move through the watershed as a function of groundwater boundary fluxes and associated water table gradients (Mpath7, Pollock, 2016). Individual flow path ages are weighted by recharge: defined as water seepage below the soil zone plus ephemeral stream leakage to groundwater and corrected for volume weighted age of water lost back to the atmosphere via groundwater ET. Second, the contributing volume of interflow in the river during the late August is assumed less than one year old and added to groundwater age distribution calculated with particle tracking.

Both transient and steady state particle tracking simulations use a similar methodology. Transient simulations evaluate the efficacy of the hydrologic model to generate a baseflow age distribution able to reproduce the observed gas tracer water column concentrations at the end of August 2017. Initial water table elevations and water fluxes for water year 2017 initiate the transient particle tracking simulation and then historical water fluxes for water years 1987 to 2018 are repeated until all particles exit the watershed. A Weibull distribution \((k \text{ and } n, \text{ equation 3})\) is adjusted to the flow model baseflow age distribution to solve for stream water SF\(_6\) water column concentrations. The calculation of SF\(_6\) water column concentrations uses tracer-based estimates of \(A_c\) and \(T_r\), an assumed recharge elevation of 3400 m (the approximate mean elevation of the watershed above CC03), and the historical atmospheric concentration record (USGS 2017). If the age distribution is unable to replicate observed stream concentrations based on the sum \(\chi^2\), then subsurface porosity is adjusted. If adjusting porosity is insufficient to create a
statistically significant reproduction of observed gas tracers, then the original calibration of bedrock hydraulic properties in the flow model presented by (Carroll et al., 2019) are revisited based on groundwater age distribution sensitivity to geologic parameterization (refer to Supporting Information S.2). Using the final model, additional transient simulations are initiated to explore interannual variability across a range in historical water years. These years include an extremely wet year (1995), a dry year at the end of a multi-year drought (2002), a dry year with a strong monsoon (2012), a dry year with a weak monsoon (2018) and the median water year (1998).

Steady state particle tracking simulations provide information on how deeper groundwater flow paths may change by shifting the historical mean groundwater condition as a function of altering precipitation, temperature or forest presence. The historical median water year (1998) is used as a baseline condition from which precipitation is incrementally adjusted by 0.4 to 1.8 the historic daily value with no warming (+0°C). This is repeated for +4°C and +10°C warming applied to both minimum and maximum daily temperatures. The +4°C condition falls in the range of expected end-of-century temperature increase in the East River (Hay et al., 2011) while +10°C forces all snow to fall as rain. The effect of spatial distribution of precipitation and temperature across the watershed is also tested by assigning spatially uniform daily values based on average historic median water year daily inputs. This removes gradients associated with elevation, storm tracking and snow redistribution. Lastly, the relative importance of forest influences on energy and water budget partitioning and baseflow age are explored by removing deciduous and conifer forests from the basin. Forests were replaced by a barren cover type and recharacterization of transmission coefficients for shortwave radiation, interception of precipitation and rooting depths. Soil storage and its conductance were not altered. For each hypothetical scenario, GSFLOW daily stress is simulated over a complete water year and repeated until quasi-steady state conditions occur. Quasi-steady state is complete when combined changes in saturated and unsaturated groundwater storage were less than 1% the annual water budget. Cell specific groundwater fluxes (recharge, ephemeral stream losses and groundwater ET) are aggregated to an annual sum for each model cell and applied to the steady state groundwater model for particle tracking.
. 4 Results

4.1 Atmospheric Gas Tracers

Measured N₂, Ar and SF₆ concentrations along with computed Tᵣ, Aₑ, and piston-flow age values for the three sampled springs are shown in Tables S3 and S4. Computed SF₆ piston-flow ages range from 3 y to 14 y. The samples from CCS were collected in June after a large snowpack accumulation and had the youngest ages (3 to 6 y). The younger ages and warm mean Tᵣ of 9.2°C (near the top of the expected range of 0-10°C; see Supporting Information S.1) suggests that CCS either contained a substantial fraction of very young water recharged only weeks prior to sampling during the spring, or the sampled water partially re-equilibrated with the atmosphere. The other springs were sampled in October with piston-flow ages 7 to 14. Mean Tᵣ and Aₑ values for the spring samples are 5.5°C and 0.0011 cm³STP/g, respectively.

Measured concentrations of N₂ and Ar in Copper Creek are very close to computed equilibrium concentrations for the stream water (Table S2, Figure S2a,b), indicating a relatively small τ₉ (relatively large v₉) for N₂ and Ar. Because v₉ is generally positively correlated with stream gradient (Gleeson et al., 2018), a relatively large v₉ is consistent with Copper Creek’s steep gradient of ~0.09 above the sample location. In contrast, measured concentrations of SF₆ and CFC-113 are below equilibrium concentrations for the stream water (Table S2, Figure S2c,d). This suggests that: (a) the age of groundwater discharging into the stream is sufficiently large that the difference between Cgw and Ce is non-trivial (on the order of years rather than weeks/months); and (b) though τ₉ values are relatively small for Copper Creek, they are still large enough so that the age-tracer Cgw signal is maintained in the stream. Therefore, despite Copper Creek’s high gradient, v₉ for the age-tracer gases were sufficiently slow to permit application of the method proposed by Sanford et al. (2015). Although SF₆ and CFC-113 are generally well mixed in the atmosphere, local atmospheric concentrations on the day of sampling could be slightly below the northern hemisphere 6-month average values used to compute Ce (USGS, 2017), such that Cs is actually equal to Ce to invalidate the method. A comparison of the atmospheric concentrations required to produce the observed stream concentrations with multiple North American atmospheric monitoring sites indicates that this scenario was unlikely (Figure S1).
The measured gas concentrations in the stream do not provide a unique solution for \( C_{gw} \) for either SF\(_6\) or CFC-113, allowing a broad range of possible ages for baseflow (Supporting Information S.1). However, the range of allowable age-tracer \( C_{gw} \) values is well-constrained on the high end because atmospheric concentrations of these age tracers have generally increased since their introduction in the mid-20\(^{th}\) century. This high-end constraint on \( C_{gw} \) can potentially provide a reliable minimum age constraint for baseflow. Note that allowable CFC-113 \( C_{gw} \) values are sufficiently low to indicate recharge predominantly before the mid-1990’s when atmospheric concentrations started decreasing. The CFC-113 concentrations are discarded from the analysis because, for a given value of \( \tau_w \), the estimated CFC-113 \( C_{gw} \) consistently produced a substantially older mean age (generally by >10 y) than produced by the simultaneously estimated SF\(_6\) \( C_{gw} \) regardless of the assumed form of the travel time distribution. This age discrepancy is likely due to either SF\(_6\) contamination from terrigenic production in the subsurface (e.g. Friedrich et al. 2013), CFC-113 degradation occurring under low-oxygen conditions in parts of the aquifer (e.g. Bockgard et al. 2004) or both. A similar discrepancy was observed by Sanford et al. (2015) at some sites in northern Virginia, USA, and they attributed this to terrigenic SF\(_6\) contributions based on evidence of terrigenic SF\(_6\) in groundwater samples from local springs and wells in which concentrations reflected impossibly high atmospheric concentrations. For the Copper Creek samples, we believe that CFC-113 degradation is a more likely explanation because the spring samples in the East River display no clear evidence of terrigenic SF\(_6\) contributions. Furthermore, the range of allowable CFC-113 piston-flow and exponential mean ages for baseflow (>30 y) are substantially older than most reported groundwater ages for other mountain watersheds underlain by predominantly crystalline rock (generally <20 y; Plummer et al. 2001; Manning 2009; Visser et al. 2019; Manning et al. 2019). Regardless, using the SF\(_6\) measurements to determine a maximum \( C_{gw} \) and minimum baseflow age is a more appropriate and conservative approach because any terrigenic additions would increase the estimated \( C_{gw} \) whereas CFC-113 degradation would decrease the estimated \( C_{gw} \).

The maximum SF\(_6\) \( C_{gw} \) was estimated through a series of best-fit model solutions in which CFC-113 was excluded from the analysis, a range of SF\(_6\) \( C_{gw} \) values were specified, and resulting model fits were evaluated (Table 2, Figure 2a). Model fits, defined by the sum \( \chi^2 \) metric with a \( p > 0.1 \), to observed stream water SF\(_6\) concentrations are similar and acceptable for SF\(_6\) \( C_{gw} \) values up to about 2.2 fmol/L. For \( C_{gw} > 2.3 \) fmol/L, model fits declining rapidly,
becoming unacceptable. For the purposes of numeric modeling, we move forward with the requirement that any flow-model-generated age distribution must produce an \( \text{SF}_6 \ C_{gw} \) concentration <2.3 fmol/L to be consistent with the stream age-tracer measurements. As noted above in Section 3.1.2, values of \( T_r \) and \( A_e \), must be assumed to compute \( C_{gw} \) for a given age distribution. The fact that \( C_s \) and \( C_e \) are essentially equal for \( \text{N}_2 \) and \( \text{Ar} \) means that the stream \( \text{N}_2 \) and \( \text{Ar} \) measurements provide no meaningful constraints on these parameters (Figure S3). Therefore, the mean \( T_r \) and \( A_e \) values derived from the spring samples are assumed in the computation of \( C_{gw} \) for the flow-model-generated age distributions (see Supplementary Information S.1 for additional discussion).

4.2 Integrated Hydrologic Model

4.2.1 Baseflow Age Calibration

Simulated streamflow and the fraction of streamflow that is interflow for a range of historically variable water years is provided in Figure 3. Interflow dominates stream water source during snow melt (April-July) and can be bolstered in the summer and fall by monsoon rains. Interflow contributions to Copper Creek in late August 2017 during the gas tracer experiment are 22\% and align with the same fraction of shallow, soil derived flow in the median water year (1998) and a dry water year with a good monsoon (2012). Figure 4 shows the resulting baseflow age distribution at the sampling location CC03 using the originally published flow model. Median baseflow age is 1.5 y and water table elevations are shallow (median depth of flow 6 m) with 64\% of recharged water moving through the top model layer which is predominantly alluvium. Figure 5a illustrates the hyper-localized, topographically controlled and very young groundwater flow paths above the sampling location where granodiorite is the dominant bedrock. Using a Weibull distribution fit to the GSFLOW baseflow age output \((k=0.28, n=0.44)\), the \( \text{SF}_6 \) groundwater concentration is calculated at 2.74 fmol/L and the sum \( \chi^2 \) is 147 indicating a statistically insignificant replication of \( \text{SF}_6 \) stream concentrations (Figure 2).

Geologic parameter adjustments based on a sensitivity analysis (refer to Supporting Information S.2. Figure S6,7) to promote older baseflow, with the goal of lowering estimated \( \text{SF}_6 \) groundwater concentrations, included: increasing the granodiorite hydraulic conductivity four-
fold over the original value of $1.16 \times 10^{-7}$ m/s to $4.66 \times 10^{-7}$ m/s, and lowering the ratio of horizontal to vertical hydraulic conductivity, or VKA from 10 to 3. Accompanying changes in bedrock properties was a slight increase in soil storage to replicate observed stream discharge (Nash Sutcliffe Efficiency Log discharge = 0.78). Bedrock reparameterization lowers predicted water table elevations (median depth of groundwater flow equal to 115 m), reduces groundwater flow through the alluvium from 64% to 22% (Figure 4b), and produces a baseflow age distribution (Weibull $k = 0.79$, $n = 0.66$, Figure 4a) capable of reproducing groundwater SF$_6$ concentration of 2.2 fmol/L in order to statistically replicate SF$_6$ stream water concentrations (sum $\chi^2 = 12.9$, Figure 2). The hydrologic model produces a median age at CC03 of 7.5 y, which falls within the range of October ages for perennial springs to provide added confidence in the approach. Figure 5b shows older flow path are now generated in the upper confines of Copper Creek that are less constrained by topography than the original model.

4.2.3 Baseflow Age Sensitivity

Using the calibrated model to assess a variety of historic water years indicates groundwater age contributions are relatively stable 11.8 ±0.7 y, while late summer baseflow ages range between 3 and 12 years as a function of contributing interflow (Table 3, Figure S8). A sensitivity analysis perturbing long term climate from its median condition by incremental changes in the historic median water year daily precipitation show groundwater age distributions (Figure S9) shift progressively toward older water with decreased precipitation. Warming by +4°C decreases groundwater ages slightly for very wet conditions. Warming during a drought (e.g. 0.8P) removes relatively younger water while warming during a more intensive drought (e.g. 0.4P) affects all flow paths and the entire distribution shifts older. Warming the basin until snow is converted to rain (+10°C) increases groundwater ages for all conditions, but increases are most dramatic under a drier climate. Removing the forest from Copper Creek increases recharge and shifts groundwater toward younger ages with decreased ages most notable during dry conditions. The median ages from all scenarios increase with decreasing precipitation and collapse about a single exponential function defined by average annual net recharge (Figure 6). Assuming spatially uniform climate effectively decreases net recharge for the same amount of annual precipitation. This produces a groundwater age distribution more closely matched to decreasing precipitation by 20% over the historical median condition.
5 Discussion

Stream water source in the late summer is composed of both shallow ephemeral flow through soil and saprolite and saturated groundwater flow through alluvium and bedrock units. Deeper groundwater flow through unweathered bedrock is often treated as negligible in catchment studies (e.g. Kirchner, 2009). However, there is a growing awareness that deeper bedrock flow may be an important component in mountain hydrology (Gabrielli et al., 2012; Hale and McDonnell, 2016) and a general call to include the bottom of the groundwater system in our conceptual model (Brantley et al., 2007; Brooks et al., 2015). However, a fundamental challenge in hydrology is to define and observe where the bottom of the watershed occurs and to assess if it is important (Condon et al., 2020). The challenge is amplified in steep, snow-dominated mountain watersheds. These watersheds provide 60-90% of the freshwater worldwide (Viviroli and Weingartner, 2008) and are especially vulnerable to climate change (IPCC, 2019) but data describing bedrock properties and deep subsurface flow is scarce in these systems and uncertainty in predicting how projected warming or reduced snowpack will affect streamflow response as well as redox-sensitive and time-sensitive reactions in response to changing water tables and travel times remain large (Manning et al., 2013; Meixner et al., 2016).

5.1. Age of Baseflow and Depth of Active Groundwater Flow

To address uncertainty in depth of groundwater flow, we present a novel approach that combines a sophisticated numerical hydrologic model and a new method for dating baseflow using dissolved N$_2$, Ar and SF$_6$. The gas tracer experimental approach is relatively convenient and cost effective as it takes a single day to perform and does not require expensive drilling. Drilling, which is often impossible due to logistical challenges related to steep topography, deep snowpack and (in our case) Wilderness designation. The stream tracer experiment was not originally designed for steep, turbulent rivers with fast gas exchange velocities to the atmosphere and its use in Copper Creek is, in of itself, a methodological question on its effectiveness in alpine environments. Because of fast gas velocities, the approach could not provide a unique baseflow age determination in Copper Creek. However, it did provide a relatively robust upper limit on the groundwater SF$_6$ concentration. This maximum concentration is then used to test the
validity of the flow model generated baseflow age distribution, and thereby establish the lower limit on the mean age of this distribution.

The originally published GSFLOW model calibrated to stream discharge over a multi-decadal period, generates shallow groundwater flow moving predominantly through alluvium situated on much less conductive bedrock. For late summer conditions in 2017, when the tracer experiment was conducted, baseflow median age is estimated very young at 1.5 y. However, this results in statistically insignificant replication of observed SF$_6$ stream water concentrations. Instead, older groundwater (12.2 y), and a resulting baseflow median age of 7.5 y, must be simulated in the hydrologic model to match observed stream water gas tracer data. With deeper groundwater flow, the recalibrated flow model produces a baseflow median consistent with perennial spring samples collected in October 2017 and in the vicinity of the watershed (10.2 ± 3.4 y). Earlier studies on transit time modeling in mountainous catchments have tended toward younger ages of 1-5 y (see review by McGuire & McDonnell 2006), in which the de-coding of catchment travel time distributions have primarily relied upon stable isotopes. Yet these tracers cannot inform transport times longer than 4 years and their exclusive use will bias age distributions and understanding of how catchments store and transmit water (Stewart et al., 2012). Techniques for establishing longer travel times include use of atmospheric tracers sensitive to older waters (e.g. $^3$H, CFC, SF$_6$) and a growing number of recent studies suggest baseflow mean ages in headwater streams may be older than previously thought (>10 y) (Cartwright et al., 2018; Cartwright et al., 2020). Similarly, $^3$H/$^3$He groundwater ages from 17 stream-side piezometers along a 3.5 km reach of Handcart Gulch in the Colorado Front Range were all between 8.9 y and 19.1 y (Manning et al., 2019). The updated Copper Creek hydrologic model follows this trend in acknowledging older groundwater contributions in mountainous watersheds.

Re-conceptualization of the Copper Creek groundwater flow system was largely accomplished by increasing the hydraulic conductivity of the dominant bedrock (granodiorite) above the stream sampling location to lower water table elevations and force more groundwater to travel deeper through the subsurface. One can speculate that high relief watersheds like Copper Creek contain older than expected stream flow, perhaps related to greater permeability and porosity to greater depths due to more intense recent uplift and tectonism associated with mountain building (Williams et al., 2015; Jasechko et al., 2016). Final surface permeability for the granodiorite
(4.6x10^{-7} \text{ m/s}) falls within the typical range of 10^{-8} to 10^{-6} \text{ m/s} for zones of active flow in fractured crystalline bedrock in mountain settings; (Katsura et al., 2009; Welch and Allen, 2014). The recalibrated model lowers water table depths such that 22% of recharged water moves through the alluvium and produces a median depth of groundwater flow equal to 110 m, with 30% of recharged water reaching depths greater than 200 m. This is somewhat deeper than the maximum depth of active groundwater circulation in crystalline rocks of 100-200 m based on a limited number of prior studies (Welch and Allen, 2014; Markovich et al., 2019). However, Frisbee et al. (2017) estimated active circulation upwards to 1000 m in the crystalline metamorphic rocks of the Sangre de Cristo Mountains, New Mexico. Active circulation depths are a function of tectonic history, lithology, structure, and climate (weathering), and characteristic active flow depths for different bedrock geologic conditions in mountain settings remains largely unknown (Markovich et al., 2019).

We acknowledge that constraint on subsurface routing is inherently non-unique in groundwater modeling and the use of a single hydraulic conductance value for a given depth for each hydrostratigraphic unit is simplistic and likely over estimates deep flow paths along the highest elevations in Copper Creek in response to low water table elevations. It is also recognized that our model is constrained to younger flows through our use of the minimum age as determined by the gas tracers to define median age produced by the hydrologic model and that older travel times associated with deep flow paths, that are most sensitive to deep porosity, as not known. Fractured rock porosity is highly uncertain, and complicated by diffusive exchange between mobile water in the fractures and immobile water in the matrix. Effective porosity for age estimates is likely in between matrix and fracture porosity. Unpublished data from a 80 m borehole drillcore in a proximal basin to the East River (Redwell Basin) consisting of contact-metamorphosed interbedded shale and sandstone indicates a matrix porosity of 1-10\%, centering around 3\%, while fractured porosity in unweathered crystalline rocks <1\% is common (Tullborg and Larson, 2006). For comparison, modeled effective porosity of the granodiorite in Copper Creek is set equal to 2.5\% (depth \leq 18 m) and 1.25\% (depth > 18 m) and deemed appropriate.

5.2 Controls on Baseflow Age

The physical reality of mountainous watersheds is that heterogenities in the system in combination with spatio-variable inputs create highly diverse flow paths through the watershed.
As a result, the age distribution of stream water is not time invariant but responds dynamically as
the nature of overland flow and hydrologic connectivity change, and that flow paths and velocities
vary with water storage (Botter, Bertuzzo and Rinaldo, 2011; Van Der Velde et al., 2012; Engdahl,
McCallum and Massoudieh, 2016). Transient analysis of individual water years spans the full
range of historic climate conditions and results in variability in predicted late summer baseflow
median age (3-12 y). This variability is largely due to simulated interflow contributions moving
through the soil zone as a result of deep and persistent snowpack and/or a strong monsoon season
driving younger flows late in the summer. Results agree with other studies showing the
mobilization and mixing of younger shallow water stores with older water following wet periods
(Hrachowitz et al., 2013; Howcroft et al., 2018). Specifically, Copper Creek baseflow ages align
with recent work in Providence Creek, a granodiorite headwater basin in the southern Sierra
Nevada mountains of California, with stream ages ranging from 3.3 to 10.3 y, with wetter years
releasing younger water, as determined using ranked storage functions constrained by radioactive
isotopes (Visser et al., 2019); and are consistent with spring mean ages in Sagehen, California
found to vary 3-7 y between sampling events with age variability controlled by the magnitude of
the new fraction (<1 y), which generally correlated positively to annual maximum snow water
equivalent (Manning et al., 2012).

In contrast, groundwater flow paths and associated ages showed low variance about the
mean (11.8 y) deviating by only 0.7 y despite drastically different snow accumulation and stream
dynamics for the years assessed. Interannual stability in groundwater flow represents a basin in
equilibrium with its historical climate and watershed structure (i.e. topography, land use,
geology). Topographic controls have also long been recognized as controlling local, intermediate
and regional groundwater flow systems (Toth, 1963; Winter et al., 2001) and been identified as
the single most important control on catchment-scale transport (McGuire et al., 2005). However,
the influence of precipitation magnitude and type (Carroll et al., 2017), vegetation (Rukundo and
Doğan, 2019), bedrock lithology (Onda et al., 2006), and subsurface connectivity (Tetzlaff et al.,
2009) are also recognized in influencing hydrologic partitioning dictating recharge and
subsequent groundwater flow to streams. Recharge in mountain watersheds preferentially occurs
in the upper subalpine (in part) as a function of large and persistent snowpack snow (Musselman
et al., 2008; Broxton et al., 2015; Carroll et al., 2018). We show that maintaining historic median
daily climate forcing, but uniformly distributing across Copper Creek, reduces recharge and
lowers water table elevations to produce older groundwater. Similarly, Badger et al., (2019), using a distributed hydrologic model and remotely sensed estimates of snowpack found more uniform snow distributions melted out 5 weeks earlier and produced up to 9.5% less stream flow than conditions that allowed for spatial variability. Therefore, capturing the spatial distribution of snow dynamics to better represent recharge is also important to quantifying groundwater flow pathways and age of water exported to a stream network.

Three-dimensional numerical models have provided guiding principles on recharge-controlled versus topographically-controlled water tables that in turn drive the length-scale of flow paths and associated ages in mountain systems (Gleeson and Manning, 2008; Markovich et al., 2019). Figure 7 illustrates the conceptual model of flow paths and baseflow age distributions as a function of water table elevational endmembers dictated by the ratio of recharge to hydraulic conductivity (R/K). High R/K produces higher water table elevations and increases the influence of topographically controlled, local flow paths on stream-flow generation. If water table elevations are high enough to support perennial streams, then the system is likely permeability-limited such that increases in recharge has little effect on changing groundwater flow paths and the median age of groundwater is stable. Conversely, watersheds with lower R/K have deeper water table elevations controlled mainly by the recharge rate. Ephemeral streams emerge, flow paths are less constrained by local topography and groundwater flow conditions become increasingly sensitive to changes in recharge.

Our first round of Copper Creek modeling established a very high R/K in the upper confines of the basin to produce a permeability-limited groundwater flow system with shallow water table elevations in which baseflow ages are buffered from possible decreases in recharge. With model re-evaluation, the R/K ratio in Copper Creek is lowered. The water table is still topographically controlled, but the newly calibrated model suggests Copper Creek is actually very close to the recharge-controlled condition, meaning groundwater flow paths will deepen and baseflow age will increase with relatively small reductions in snow accumulation. The larger the deviation from the historical median precipitation toward a drier state, the greater the sensitivity of groundwater age is to either recharge decreases (warming) or increases (forest removal). Ameli et al. (2018), using a combination of tritium tracer and a semi-analytical flow and transport modeling strategy in a New Zealand headwater basin, also found groundwater flow paths lengthen and water ages contributing to streams increase indirectly to recharge rate.
However, this rain-dominated catchment underlain by early Pleistocene conglomerate likely reflects a recharged-controlled basin that was not readily apparent in Copper Creek. Our study emphasizes that assuming a snowmelt-dominated mountain watershed is permeability-limited simply because it is underlain by low-permeable crystalline rock is potentially misguided. Instead, our results suggest that proper characterization of the deeper bedrock groundwater flow system is fundamentally important to establishing R/K and determining how a watershed will respond to changing climate and land use.

6. Conclusions

There is growing awareness that deeper parts of bedrock aquifers in mountain watersheds could be an important part of a watershed’s hydrologic system by storing and transmitting larger amounts of water and having a greater influence on stream source than previously indicated. However, deeper parts of mountain aquifers are very difficult to characterize and information on hydraulic conductivity, porosity and flow rates at depth remain scarce and the true importance of deeper groundwater flow across different geologic settings remains highly uncertain. This knowledge gap is a major impediment to our ability to predict how surface water flow and its water quality may respond to changes in precipitation, temperature or land use. Deep groundwater flow in a mountain watershed underlain by fractured crystalline rock is increasingly being observed in headwater streams, but it is rarely linked in any robust fashion to the distribution of hydraulic conductivity. Here we present a proof-of-concept for a new and efficient approach for characterizing deeper groundwater flow a in mountain watershed using stream water concentrations of N₂, Ar and SF₆. While shallow and ephemeral interflow produces considerable variability in baseflow age, deeper groundwater flow is found more stable (approx. 12 y) with gas tracer data providing solid evidence of non-trivial groundwater flow to streams that occurs at considerable depth in a mountain watershed underlain by fractured crystalline rock. The implications on the conceptual model of groundwater flow in this mountain watershed is substantial – moving it from strongly topographically controlled with groundwater flow paths insensitive to changes in precipitation (and recharge), toward a boarderline recharge controlled groundwater system, such that further drying could have a significant effect on groundwater age contributions to stream water. Work clarifies through a case example the importance of
characterizing the deep bedrock groundwater system in mountain watersheds as a function of
where it resides on the R/K spectrum in order to better predict how groundwater and surface
water interactions may respond to future changes in climate or land use.

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Virtual Ecosystem (ESS-DIVE).

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Table 1: Geologic units in Copper Creek and model specified parameters.

<table>
<thead>
<tr>
<th>Symbol</th>
<th>Epoch</th>
<th>Name</th>
<th>Description (modified Gaskill et al., 1991)</th>
<th>Surfacea K (m/s)</th>
<th>VKAb</th>
<th>Surfacea Porosity</th>
<th>Deepc Porosity</th>
</tr>
</thead>
<tbody>
<tr>
<td>Qal</td>
<td>Holocene</td>
<td>Surface Deposits</td>
<td>alluvium, fans, debris flow, landslide, talus, rock glaciers</td>
<td>$1.2 \times 10^{-5}$</td>
<td>1</td>
<td>0.2</td>
<td>0.1</td>
</tr>
<tr>
<td>Tg</td>
<td>Oligocene</td>
<td>Granodiorite</td>
<td>White Rock Pluton - quartz diorite to quartz monzonite</td>
<td>$4.6 \times 10^{-7}$</td>
<td>3</td>
<td>0.025</td>
<td>0.0125</td>
</tr>
<tr>
<td>Sill</td>
<td>Oligocene</td>
<td>Granodiorite</td>
<td>Quartz diorite to quartz monzonite</td>
<td>$4.6 \times 10^{-7}$</td>
<td>3</td>
<td>0.025</td>
<td>0.0125</td>
</tr>
<tr>
<td>Km1</td>
<td>Upper Cretaceous</td>
<td>Main Body Mancos Shale</td>
<td>mostly silty to sandy marine shale</td>
<td>$1.2 \times 10^{-6}$</td>
<td>3</td>
<td>0.1</td>
<td>0.05</td>
</tr>
<tr>
<td>Km2</td>
<td>Upper Cretaceous</td>
<td>Lower Member Mancos Shale</td>
<td>interbedded silty and sandy, calcareous marine shale, siltstone</td>
<td>$1.2 \times 10^{-6}$</td>
<td>3</td>
<td>0.1</td>
<td>0.05</td>
</tr>
<tr>
<td>Kd</td>
<td>Upper Cretaceous</td>
<td>Dakota Sandstone</td>
<td>quartzitic sandstone grading upward to carbonaceous shale, sandstone, siltstone to fine grained quartzite</td>
<td>$5.8 \times 10^{-6}$</td>
<td>3</td>
<td>0.1</td>
<td>0.05</td>
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<tr>
<td>JmJe</td>
<td>Upper/Middle Jurassic</td>
<td>Morrison Fm &amp; Entrada Sandstone</td>
<td>Jm: claystone, siltstone, and shale (65%) interlensed with cherty sandstone (30%). Je: thick bedded, cross-laminated quartz-arenite, or quartzite</td>
<td>$1.2 \times 10^{-6}$</td>
<td>3</td>
<td>0.1</td>
<td>0.05</td>
</tr>
<tr>
<td>PPM</td>
<td>Lower Permian/Upper-Middle Pennsylvanian</td>
<td>Maroon Fm</td>
<td>siltstone and sandstone interbedded with conglomerate, mudstone and limestone</td>
<td>$5.8 \times 10^{-6}$</td>
<td>3</td>
<td>0.1</td>
<td>0.05</td>
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<tr>
<td>Pg</td>
<td>Middle Pennsylvanian</td>
<td>Gothic Fm</td>
<td>Interbedded sandstone, limestone, siltstone, shale and conglomerate. Metamorphosed along igneous contact</td>
<td>$1.2 \times 10^{-6}$</td>
<td>3</td>
<td>0.1</td>
<td>0.05</td>
</tr>
</tbody>
</table>

a: surface applies to model layer 1 and 2 (≤18m). K assumed to decline exponentially with depth
b: ratio of vertical to horizontal hydraulic conductivity (anisotropy)
c: deep applies to model layers 3-12 (18 - 400 m)
Table 2. Selected model solutions for stream dissolved gas concentrations.

<table>
<thead>
<tr>
<th>Modeled Gases</th>
<th>Estimated Parameters</th>
<th>$\chi^2$ Sum</th>
<th>$p = 0.1$</th>
<th>Acceptable Fit?</th>
</tr>
</thead>
<tbody>
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<td>$N_2$, Ar</td>
<td>$0.000$ $0.0$ $10.0$</td>
<td>$10.7$ $0.07$</td>
<td>$12.6$</td>
<td>$24.8$</td>
</tr>
<tr>
<td>$N_2$, Ar</td>
<td>$0.010$ $0.0$ $10.0$</td>
<td>$14.1$ $0.08$</td>
<td>$10.6$</td>
<td>$24.8$</td>
</tr>
<tr>
<td>SF$_6$, CFC-113</td>
<td>-- -- --</td>
<td>$0.83$ $0.06$ $0.08$</td>
<td>$19.1$</td>
<td>$27.2$</td>
</tr>
<tr>
<td>SF$_6$, CFC-113</td>
<td>-- -- --</td>
<td>$0.50$ $0.06$ $0.07$</td>
<td>$21.9$</td>
<td>$27.2$</td>
</tr>
<tr>
<td>SF$_6$, CFC-113</td>
<td>-- -- --</td>
<td>$1.50$ $0.07$ $0.14$</td>
<td>$20.7$</td>
<td>$27.2$</td>
</tr>
<tr>
<td>SF$_6$, CFC-113</td>
<td>-- -- --</td>
<td>$4.00$ $0.31$ $0.14$</td>
<td>$24.9$</td>
<td>$27.2$</td>
</tr>
<tr>
<td>SF$_6$</td>
<td>-- -- --</td>
<td>$0.61$ $0.25$ $2.66$</td>
<td>$100.4$</td>
<td>$14.7$</td>
</tr>
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See text for definitions of model parameters; cm$^3$/STP/g = cubic centimeters at standard temperature and pressure per gram of water; underlined parameter values were specified not estimated; -- = not estimated or computed; NA = not applicable.
Table 3. Simulated median ages for groundwater and baseflow in Copper Creek for historic climate conditions.

<table>
<thead>
<tr>
<th>Water Year</th>
<th>late Aug. Interflow (fraction)</th>
<th>Median Age (Years)</th>
<th>Climate Condition</th>
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<td>Baseflow*</td>
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<td>0.01</td>
<td>12.11</td>
<td>11.91</td>
</tr>
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</table>

*includes interflow
List of Figures

Figure 1. (a) The East River with Copper Creek delineated. Inset shows location of the site in the context of the western United States and the Upper Colorado River Basin. (b) Geologic cross section A-A’ modified from (Gaskill et al., 1991) with geologic units described in Table 1.

Figure 2. Sampling location CC03 (a) Sum $\chi^2$ between predicted and observed stream water concatenations as a function of contribution groundwater SF$_6$ concentration. GSFLOW related metrics indicated. (b) SF$_6$ observed water column concentrations with best fit predicted water column concentrations using baseflow age distributions from original GSFLOW and recalibrated GSFLOW simulation.

Figure 3. Copper Creek simulated stream conditions (at the basin outlet) for the recalibrated GSFLOW model to illustrate interannual variability in stream water source across a range of historical climate conditions; (a) streamflow, (b) the fraction of streamflow that is interflow.

Figure 4. (a) GSFLOW recharge weighted baseflow age cumulative distribution (F(t)) for late August 2017 at the sampling site CC03 and best fit Weibull distributions to calculate stream water SF$_6$ concentrations shown in Figure 3. Age range of springs based on gas data collected in October 2017 provided. Weibull parameters (refer to equation 3) for the original GSFLOW model $k = 0.28$, $n = 0.44$; and for the recalibrated GSFLOW model $k = 0.08$, $n = 0.66$. (b) GSFLOW recharge weighted maximum depth of groundwater flow through alluvial and bedrock units (F(depth)) at the watershed outlet. Symbols placed at average depth of model layers 1 to 12.

Figure 5. Groundwater flow path ages through the saturated subsurface for (a) the original GSFLOW model and (b) the recalibrated GSFLOW model. The sampling location for the gas tracer experiment (CC03) and the watershed outlet identified.

Figure 6: Sensitivity of groundwater median age to drying, warming and forest removal scenarios with respect to (a) precipitation; and (b) basin-wide net recharge, defined as soil seepage below the rooting zone + stream losses to the groundwater system – groundwater ET.
The historic median water year precipitation = 1.28 m/y and corresponding quasi-steady state net recharge (0.22 m/y) separate recharge and topographically controlled groundwater flow paths.

Figure 7. Conceptual model of groundwater flow: (a) topographically controlled flow with a high recharge to hydraulic conductivity ratio (R/K). Baseflow median age insensitive to surface dynamics controlling net recharge. (b) Recharge-controlled groundwater flow with a low R/K. Baseflow median age is sensitive to surface processes dictating recharge. $ET_{gw} = \text{groundwater ET}$. 
Figure 4.
Figure 5.
Figure 7.